Segment/Angle Proofs - Geometry Section 2.7

Name: KPY

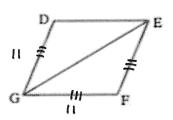
- A. Start WHAT ARE WE GIVEN??? Write this Down FIRST!
- B. End-Yes, look at this SECOND- where do we need to end up?
- C. Middle- Make a PLAN to get from the start to the end
 - a. What vocab are we given? Anything from the diagram?? WRITE THESE DOWN! ©
 - b. Can we rewrite any of our segments or angles as an equation that would be helpful?
 - c. Will the transitive property or substitution property be helpful?
 - d. Do we need to switch between congruence and equality?

GIVEN: DG = 11

$$GF = 11$$

$$\overline{GF}\cong \overline{EF}$$

PROVE: $\overline{DG} \cong \overline{EF}$



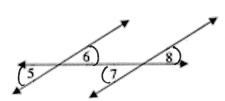
STATEMENTS

2.
$$DG = GF$$

REASON

- 1. Given
 2 Substitution PO=/Transitive PO=
- 3. Definition of Congruent Segments
- 4. Transitive PO =

GIVEN: $\angle 6 \cong \angle 7$ **PROVE**: $\angle 5 \cong \angle 8$



STATEMENTS

REASON

- 1. Given
- 2. VA Thm.
- 3. Vertical Angles Theorem
- 4. Transitive Property of Congruence
- 5. Transitive PO ~

GIVEN: $\angle ABD$ is a right angle

∠CBE is a right angle

PROVE: $\angle ABC \cong \angle DBE$

. A	В
	$\int \int \mathcal{E}$
C	1 /

STATEMENTS

1. LABD is a right angle LCBE is a right angle

2.
$$m \angle ABD = 90^{\circ}, m \angle CBE = 90^{\circ}$$

3.
$$m \angle ABC + m \angle CBD = m \angle ABD$$

$$m \angle DBE + m CBD = m \angle CBE$$

5.
$$m \angle ABC + mCBD = m \angle DBE + mCBD$$

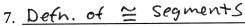
7.
$$\angle ABC \cong \angle DBE$$

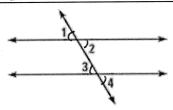
GIVEN: $\angle 2 \cong \angle 3$ **PROVE:** $\angle 1 \cong \angle 4$

REASON

4. Substitution Property of Equality.

6. Subtraction Property of Equality





**BEFORE YOU START WRITING- Look at the information you are given AND the picture. What do you already know? How can you use this information to PROVE the final statement. Once you have a plan- start with writing everything you originally knew...then follow through with your plan...

STATEMENTS

- 1.) 42 = 43
- 2.) 41 = 12
 - L3 24
- 3.) 41 = 43
- 4.) 41 244

REASON

- 1.) Given

- 3.) Transitive $PO \cong$ 4.) Transitive $PO \cong$

GIVEN:	2AB	=	AC
PROVE.	ΔR		RC

Ā	B	Č

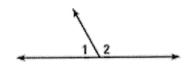
STATEMENTS

- 1.) Given
- 2.) SAP
- 3.) substitution PO = /Transitive PO=
- 4.) Subtraction PO=
- 5.) Symmetric PO=



 $m \angle 1 = 62^{\circ}$

PROVE: $m \angle 2 = 118^{\circ}$



STATEMENTS

1.) ml1 + ml2 = 180°, ml1 = 62°

- 2.) 62° + mL2 = 180°
- 3.) mL2 = 118°

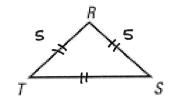
REASON

- 1.) Given
- 2) Substitution PO=
- 3.) Subtraction PO =



 $\overline{RT} \cong \overline{TS}$

PROVE: $\overline{RS} \cong \overline{TS}$



STATEMENTS

- 1.) RT =5, RS =5, RT = TS
- 2.) RT=RS
- 3.) RT = RS
- 4.) RS & TS

REASON

- 1.) Given
- 2.) Substitution PO= / Transitive PO=
- 3.) Defn. of
 Segments
- 4.) Transitive PO ~